

# Class - IX Sub: Mathematics

Question numbers 1 to 4 carry 1 mark each:-

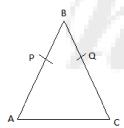
Q. 1 If 
$$125^{x} \frac{25}{5^{x}} = \text{find x}$$
.

- Q. 2 Find the value of P  $(\frac{2}{3})$  for p(y) = 2y<sup>3</sup> y<sup>2</sup> -13y 6.
- Q. 3 Do the points lie in the same quadrant? (6,-6) and (-6,6).
- Q. 4 Find complementary angle of 35°

## Section B

Question numbers 5 to 10 carry 2 marks each:

- Q. 5 Without actually calculating the cubes, Find the value of  $45^3 25^3 20^3$ .
- Q. 6 If the area of an equilateral triangle is  $\sqrt[16]{3}$  cm<sup>2</sup> The Find perimeter.
- Q.7 Angles of a triangle are in the ration 3:4:5. Find largest angle of the triangle.
- Q.8 AB=BC and BP-BQ Show that AP=CQ



- Q. 9 Plot the points (2,-2), (-4,4) and join them does the line pass through origin.
- Q.10 Find a rational and irrational no. between  $\sqrt{2}$  and  $\sqrt{3}$ .

### **Section C**

Question numbers 11 to 20 carry 3 marks each.

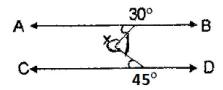


Q.11 Express 
$$0.12\bar{3}$$
 in the form of  $\frac{p}{q}$ 

Q.12 Find the area of triangular park whose sides are of length 120m, 80m and 50m.

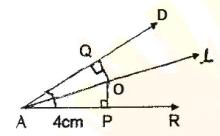
Q.13 If (3x-2) is a factor of  $3x^3 + x^2 - 20x + 12$ . Find other factors.

Q.14 If AB||CD. Determine x.



Q.15 If two lines intersect each other then prove that vertically opposite angles are equal.

Q.16 If a line 1 is the bisector of  $\angle A$ , then find OQ.



Q.17 Mr. Saxena has a rectangular plot of land ABCD which he decided to donate to his society for the organization of fitness campaign like yoga, mediation etc. the co-ordinates of three vertices of plot are A(-2,-5), B(6,-5) and (6,-1). Plot these points find co-ordinates of fourth vertex.

Which value does Mr. Saxena possess?

Q.18 find product using suitable identity  $\left(x - \frac{1}{2}\right)\left(x + \frac{1}{2}\right)\left(x^2 + \frac{1}{x^2}\right)\left(x^4 + \frac{1}{x^4}\right)$ 

Q.19 If AB||CD, CD||EF and x:y=3:2 find Z.



#### Section D

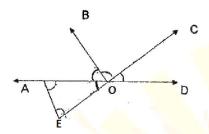
## Questions numbers 21 to 31 carry 4 marks each:

Q. 21 Simplify: 
$$\frac{\sqrt[2]{6}}{\sqrt{2} + \sqrt{3}} + \frac{\sqrt[6]{2}}{\sqrt{6} + \sqrt{3}} - \frac{\sqrt[8]{3}}{\sqrt{6} + \sqrt{2}}$$

Q. 22 The volume of cuboid is polynomial. P(x) =  $4x^3 + 20x^2 + 33x + 18$  find possible expression for dimension of the cuboid.

O.23 Factorise :  $x^{12} - 1$ 

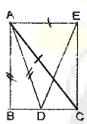
Q.24 Prove that angles opposite to equal sides of a triangle are equal



Q.25 Find (a=b)

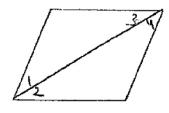
Q.26 AC=AE, AB=AD and  $\angle$ BAD =  $\angle$ EAC Show that BC=DE

Q.27 If  $x^3 + ax^2 + bx + 6$  has (x-2) has factor and leaves remainder 3 when divided by (x-3). Find the values of a and b.



 $Q.28~T~is~a~point~on~side~QR~of~\Delta PQR~and~S~is~a~exterior~point~such~that~RT=ST.~Prove~that~PQ+PR>QS~is~a~point~on~side~QR~of~\Delta PQR~and~S~is~a~exterior~point~such~that~RT=ST.~Prove~that~PQ+PR>QS~is~a~point~on~side~QR~of~\Delta PQR~and~S~is~a~exterior~point~such~that~RT=ST.~Prove~that~PQ+PR>QS~is~a~point~on~side~QR~of~\Delta PQR~and~S~is~a~exterior~point~such~that~RT=ST.~Prove~that~PQ+PR>QS~is~a~exterior~point~such~that~RT=ST.~Prove~that~PQ+PR>QS~is~a~exterior~point~such~that~RT=ST.~Prove~that~PQ+PR>QS~is~a~exterior~point~such~that~RT=ST.~Prove~that~PQ+PR>QS~is~a~exterior~point~such~that~RT=ST.~Prove~that~PQ+PR>QS~is~a~exterior~point~such~that~RT=ST.~Prove~that~PQ+PR>QS~is~a~exterior~point~such~that~PQ+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exterior~point~such~that~pq+PR>QS~is~a~exteri$ 

Q.29 <1=<3, <2=<4, <3=4 Write the relation between <1 and <2 Using a Euclid's axiom



 $Q.30\ Locate\ \sqrt{3}$  on a number line.

Q.31 If x+y+z =10 and  $x^2+y^2+z^2=40$  Find xy+yz+zx.